

Channel Labeling Scheme and Wire to Channel Mapping for LBNE in LArSoft.

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Outline

- Introduction
- Learning Curve
- Channel Labeling Scheme
- Wire to Channel Mapping

Neutrinos



electron-neutrino



muon-neutrino



tau-neutrino

Neutrino Mixing

Massive Neutrinos Are Mixtures of Flavor Neutrinos



ν_1

20% orange (ν_μ)

60% yellow (ν_e)

20% red (ν_τ)



ν_2

32% orange (ν_μ)

36% yellow (ν_e)

32% red (ν_τ)



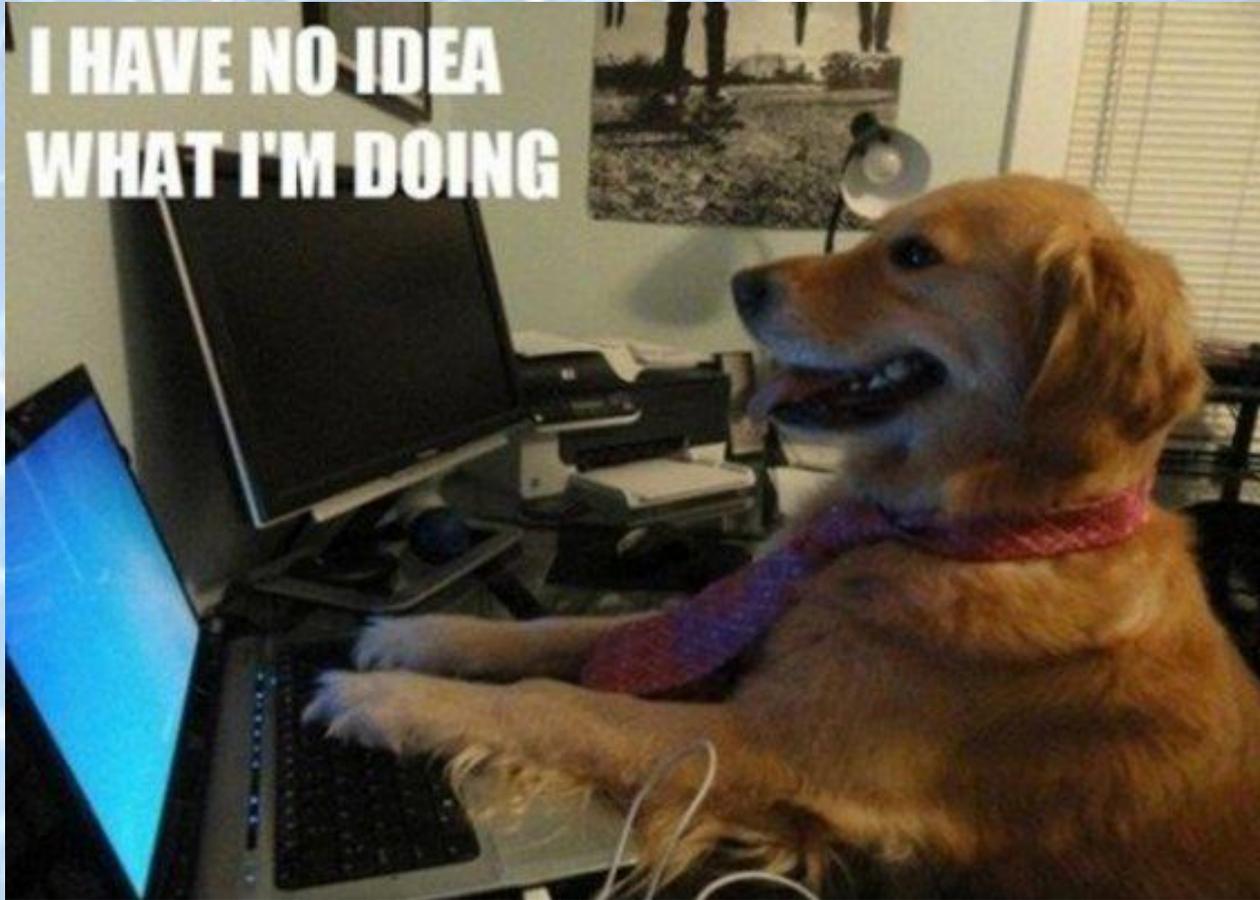
ν_3

48% orange (ν_μ)

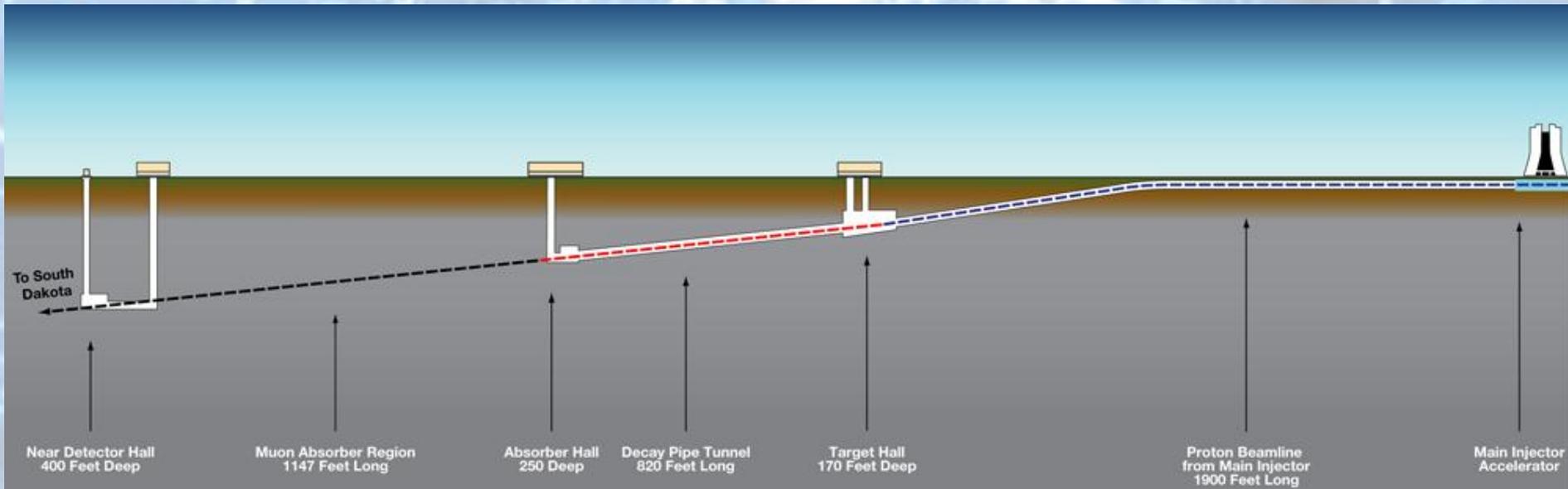
4% yellow (ν_e)

48% red (ν_τ)

Learning Curve



Long Base-Line Neutrino Experiment (LBNE)

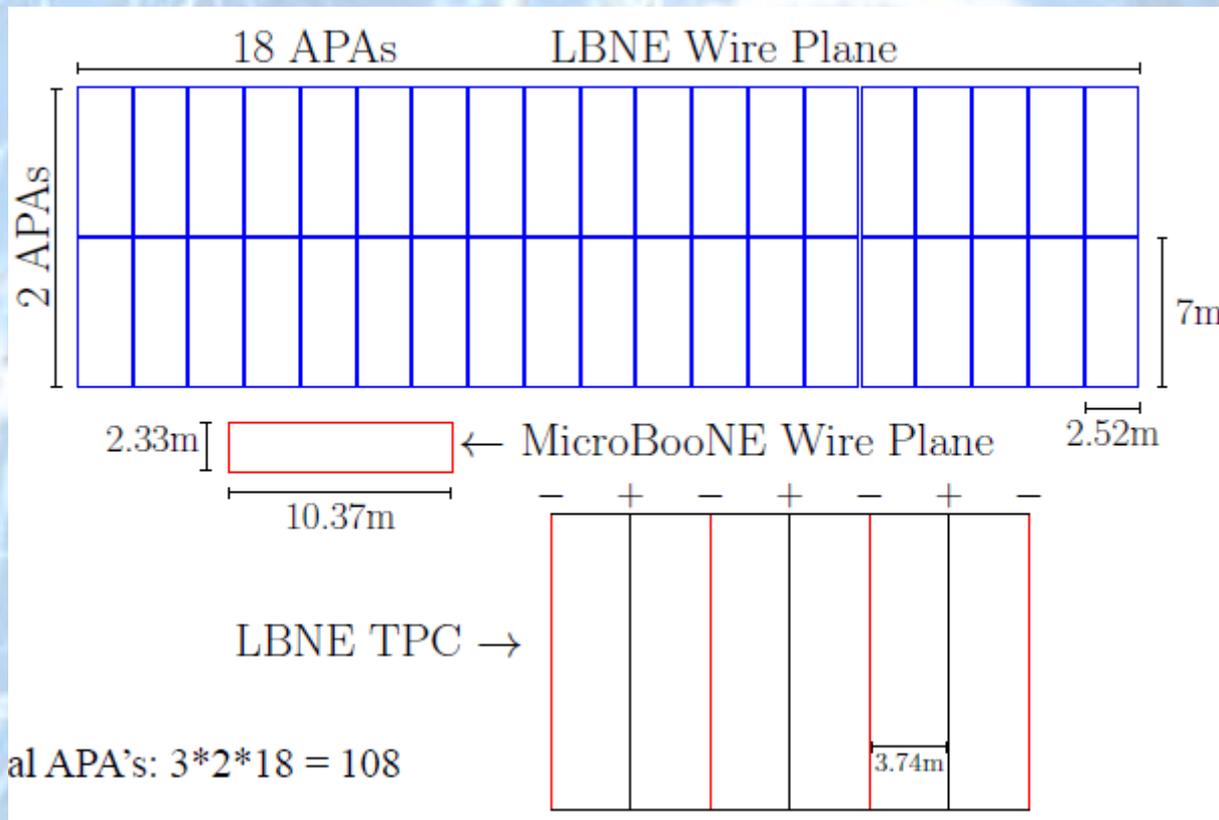


Long Baseline Neutrino Experiment

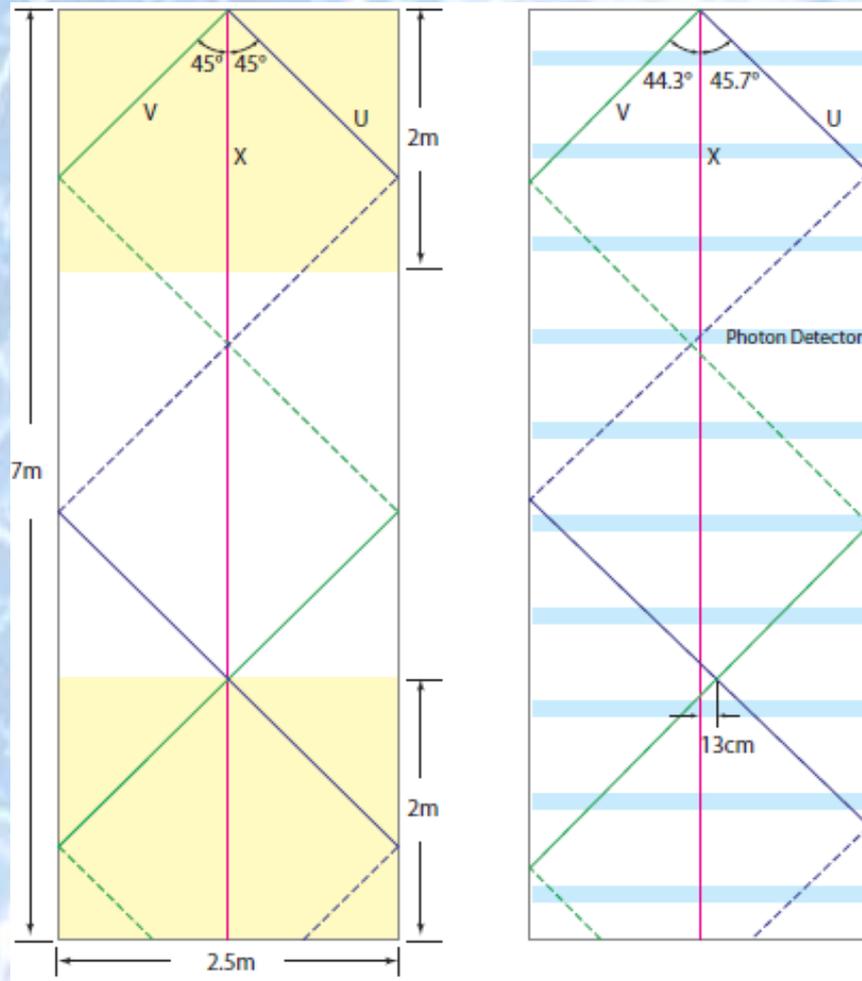
Differences between MicroBooNE and LBNE

| MicroBooNE | LBNE |
|---|--|
| Wire Planes in one piece (2.33m high, 10.37m long in gdml) Catode plane in one piece | Wire Planes very large (about 14m high, 45.6m long) Anode Plane Assemblies (APAs) and Catode Plane Assemblies (CPAs) |
| One ~2.5m drift volume, one set of wires | Two 3.74m drift volumes on either side of assembled wire planes - Wrapped Wires |
| One Cryostat | Two Cryostats |
| U wire angle=+60° V wire angle=-60° Vertical Plane (Z plane) sometimes documented as Y | U wire angle=+45.7° V wire angle=-44.3° Vertical Plane (Z plane) sometimes documented as X |

Differences between LBNE and MicroBooNE

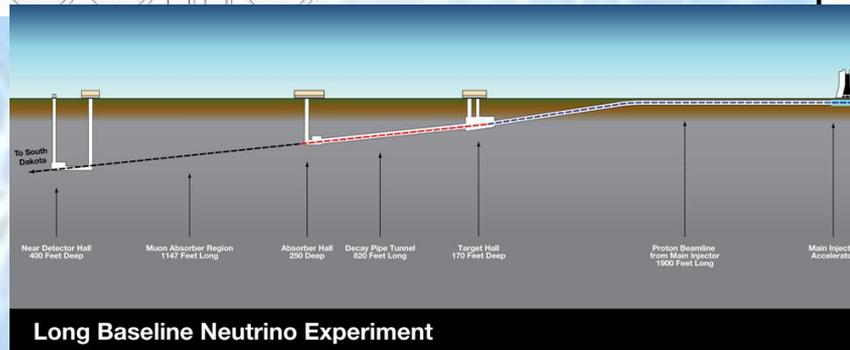
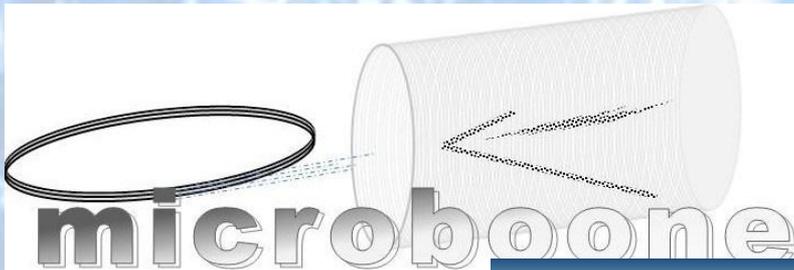


Ambiguity Problem



LArSoft

- The LArSoft software is designed to work for all planned and running liquid argon experiments at Fermilab. It is written in C++ and built on the ROOT data analysis software.



Hierarchy

volWorld (1)

volDetEnclosure (1)

volCryostat (n)

volTPC (n)

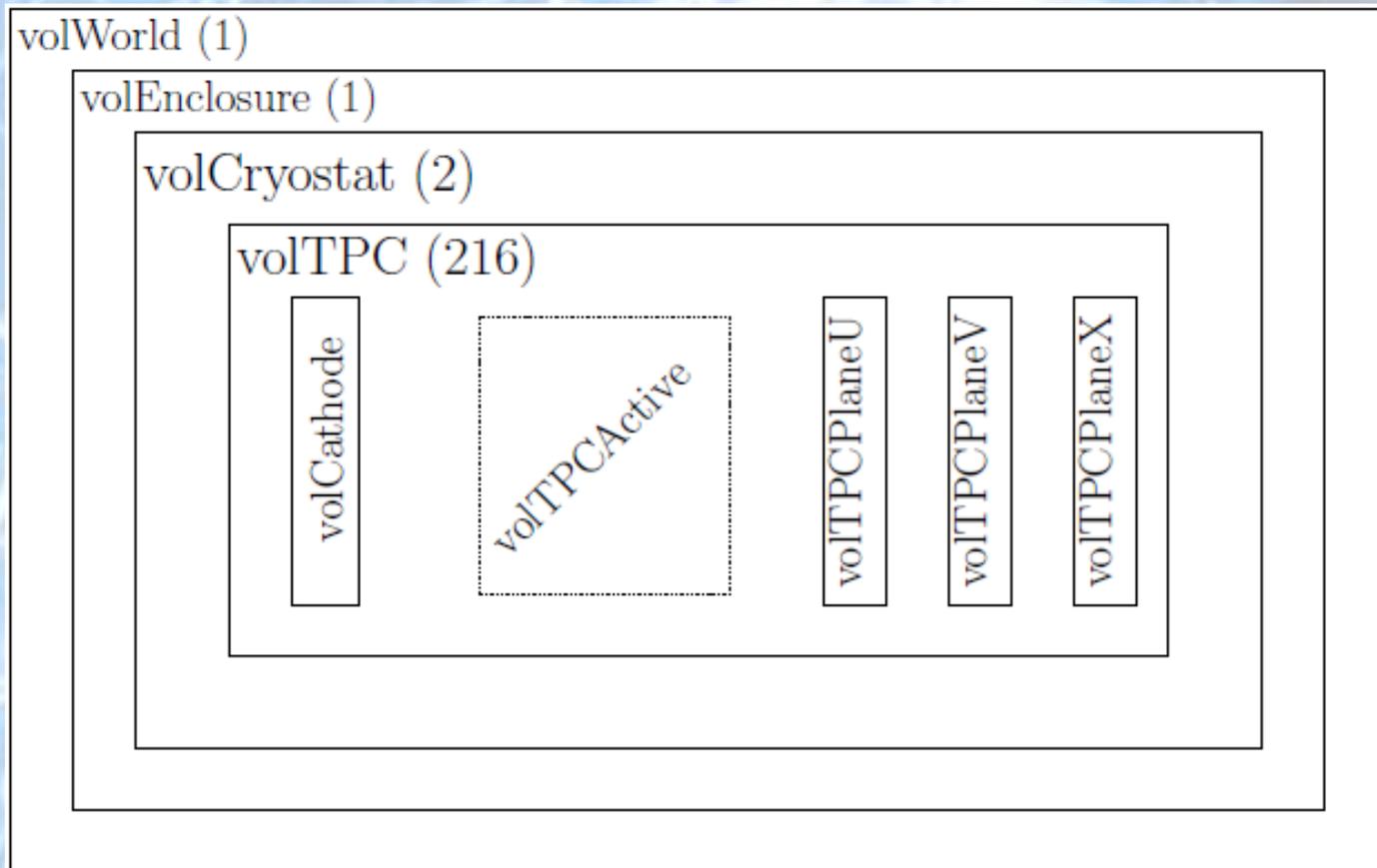
volTPCActive (1)

volTPCPlaneXXX (n)

volTPCWireXXX (n)

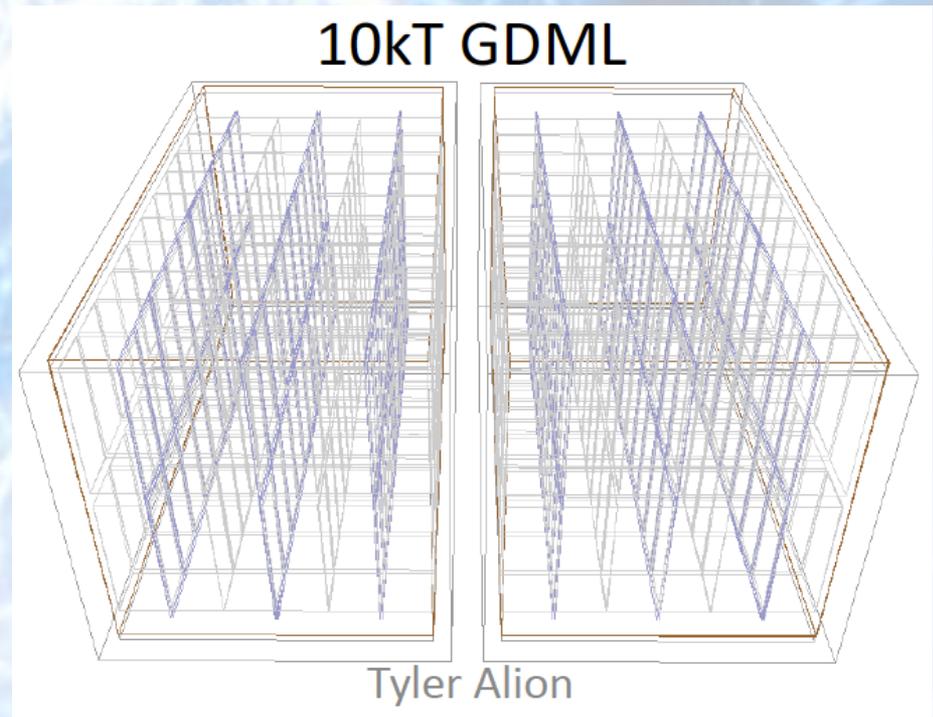
The New LBNE GDML

Object Hierarchy



How to quickly build a detector

- The APA designs appears to be stable (2.5m x 7m)
- Want to quickly build up gdml files for different cryostat configurations
- South Carolina group has written perl scripts along with xml files for LBNE within LArSoft



Design Parameters

- nCryostats
- nAPAs and geometry
- CPAs
- Drift distance
- Almost all geometry

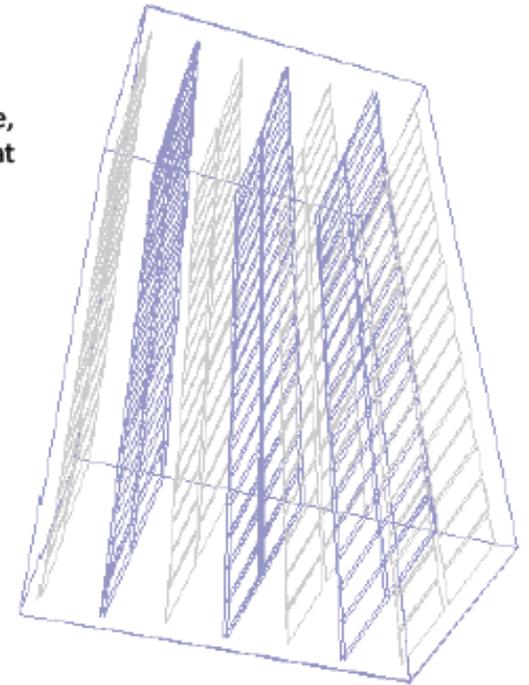
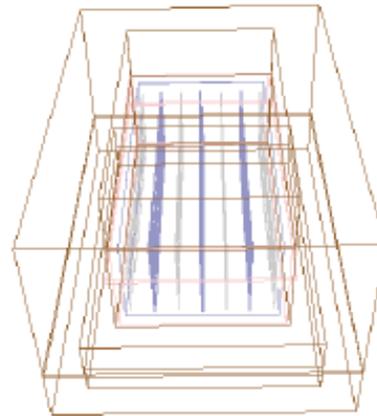
Adjusting for FD Downsizing

nAPAWide = 3

nAPAHigh = 2

nAPALong = 18

Original size,
One cryostat



Design Parameters

- nCryostats
- nAPAs and geometry
- CPAs
- Drift distance
- Almost all geometry

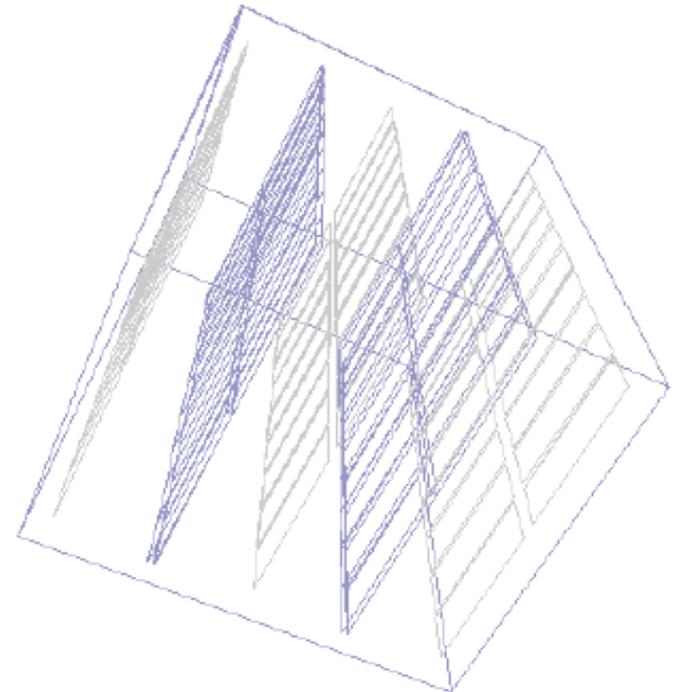
Adjusting for FD Downsizing

nAPAWide = 2

nAPAHigh = 2

nAPALong = 9

These are just drawings of
the volCryostat →



Design Parameters

- nCryostats
- nAPAs and geometry
- CPAs
- Drift distance
- Almost all geometry

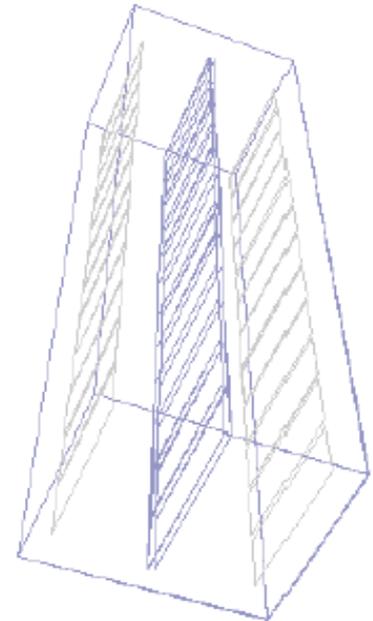
Adjusting for FD Downsizing

nAPAWide = 1

nAPAHigh = 1

nAPALong = 12

So the script that generates the GDML is flexible to the constant changes.



Objective

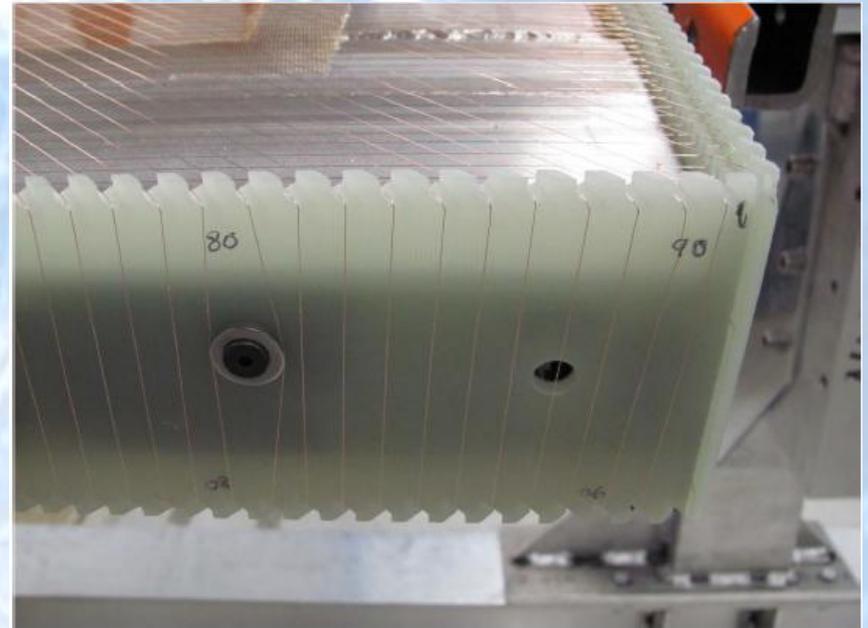
- To define a convention for the channel labeling for LArSoft focusing in the special characteristics of the Long Base-Line Neutrino Experiment (LBNE). Additionally, to write a module for LArSoft capable of interpret the labeling mentioned previously.

Motivation

- Parameters are based on non-detailed simulations.
- Simulations are based on a black box detector or in Microboone.
- The study of wrapped APA's will allow to have actual simulations.

Wrapped APAs

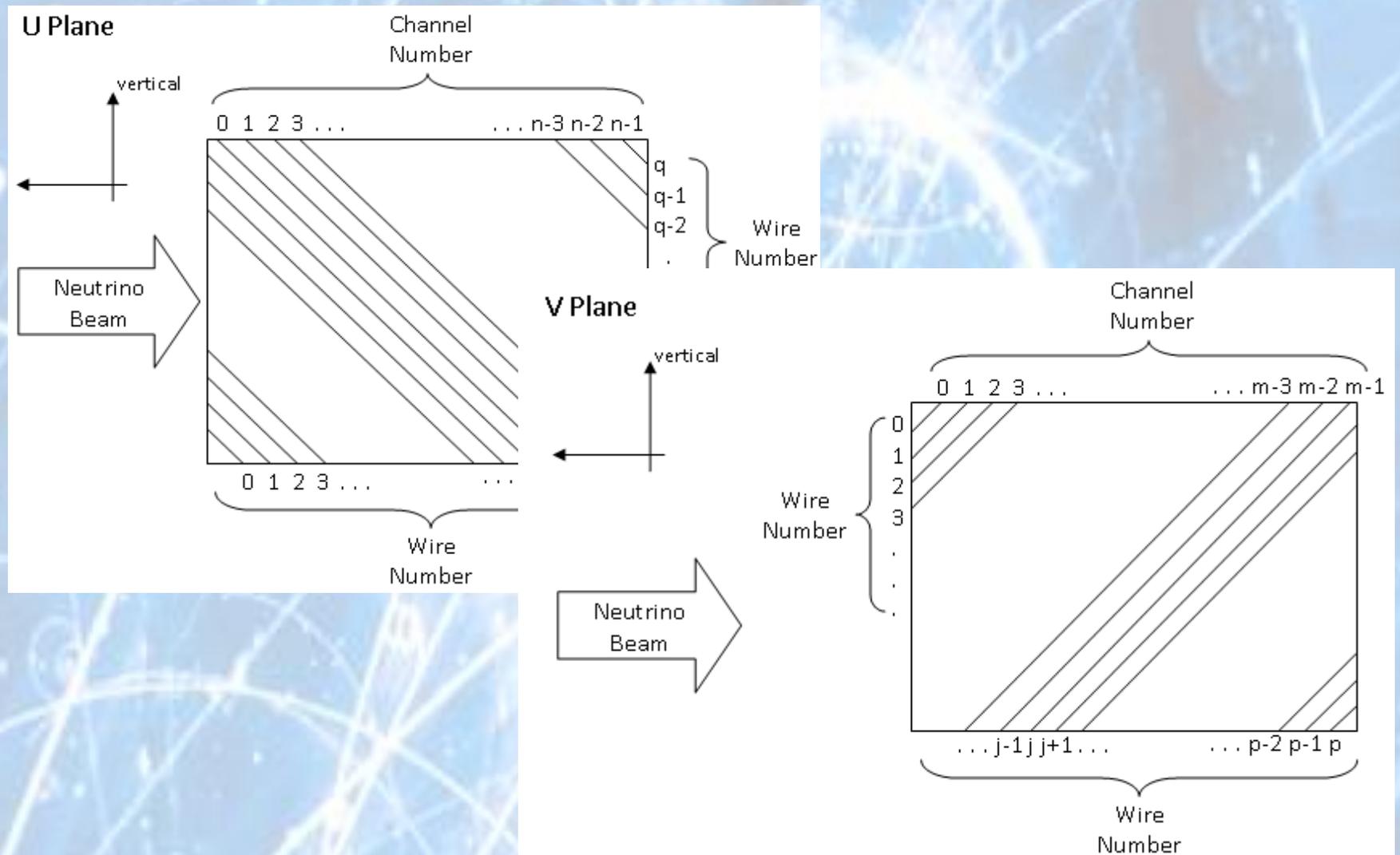
- Very nice way to save money in cold electronics.
- Leads to mapping up to 4 wire segments to one readout channel for 150+ channels.



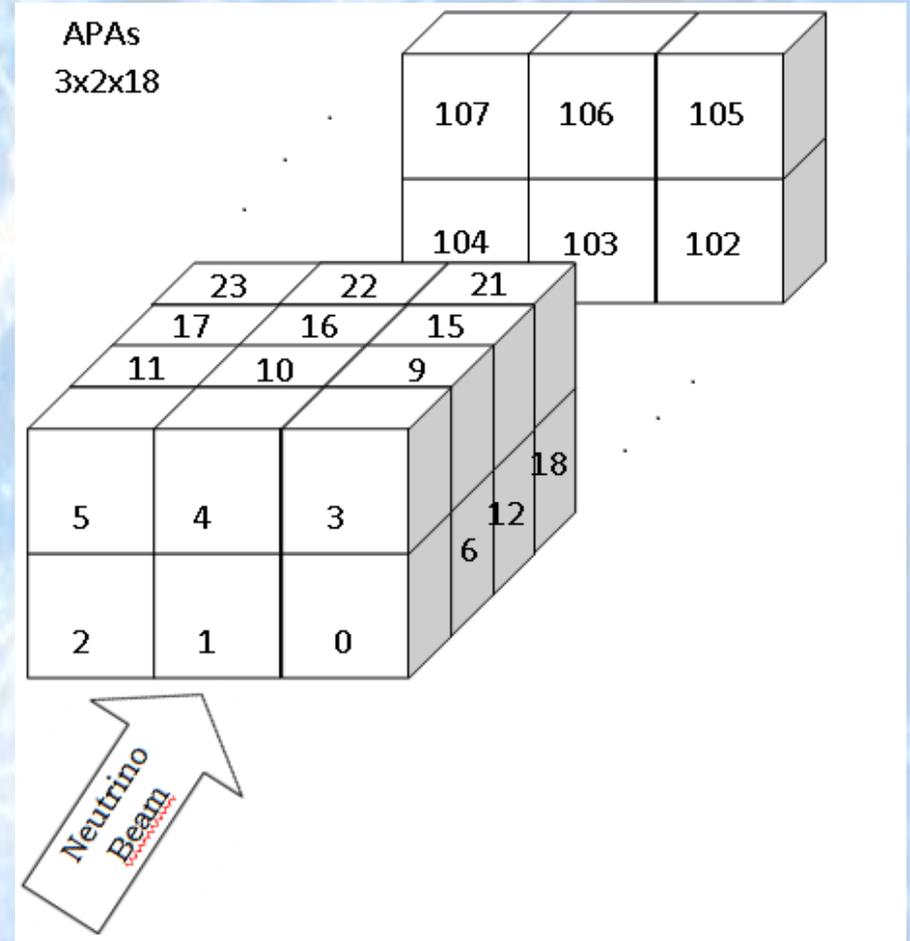
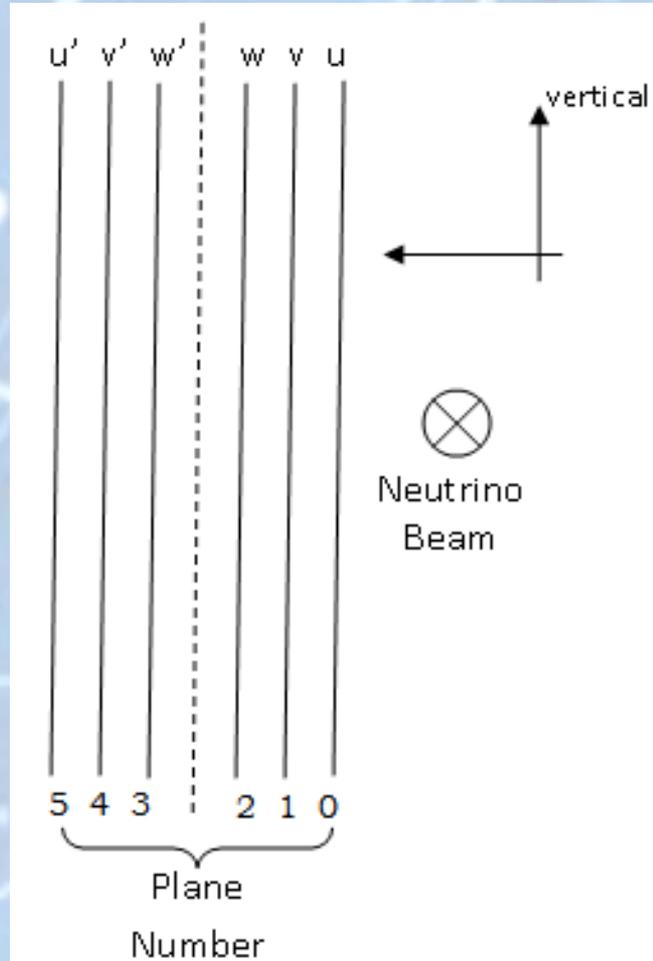
Definitions

- **Channel:** Where the readout electronics are located. The signals registered in it are then transmitted to the Data Acquisition System.
- **Wire:** A physical wire where a charged particle will be registered and then the signal is read out at the channel associated to the wire.

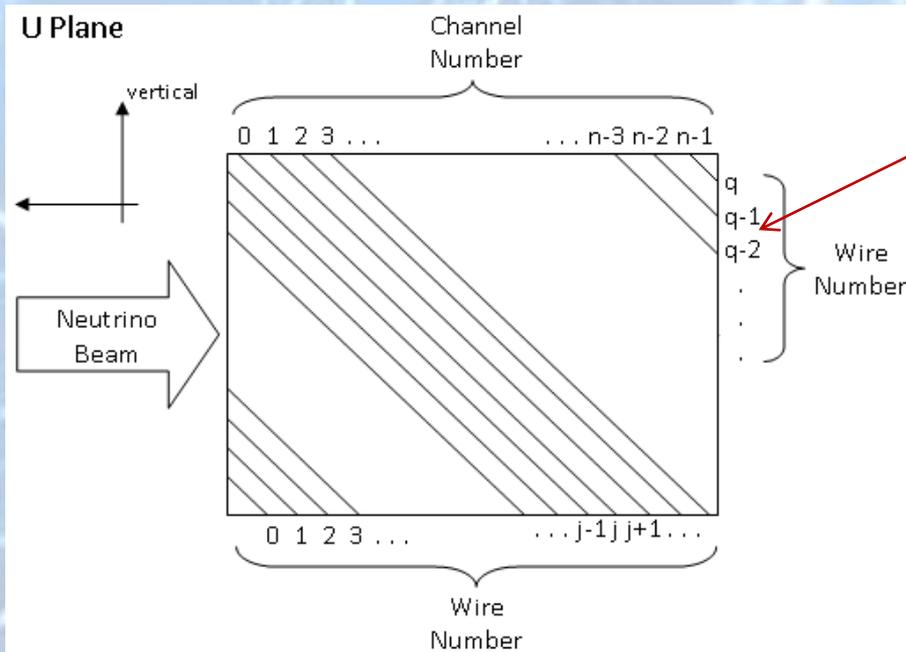
Counting Channels & Wires



Counting Planes & APAs



For Example



- We want to label the wire $q-1$.
- Look for the APA the wire is, the plane where it is contained and finally, the channel associated to that wire.

| Reality | HEX |
|--------------------------|-----|
| #APA=12 | 0C |
| plane U | 0 |
| #wire=200 → #channel=200 | 0C8 |

We would label it as: 0C00C8

What is Next?

- Finish the channel mapping
 - Allow begin working on hit disambiguation studies
- Incorporate the new geometry into the event display within LArSoft
- Begin generation of single particle MC for proof of principle studies



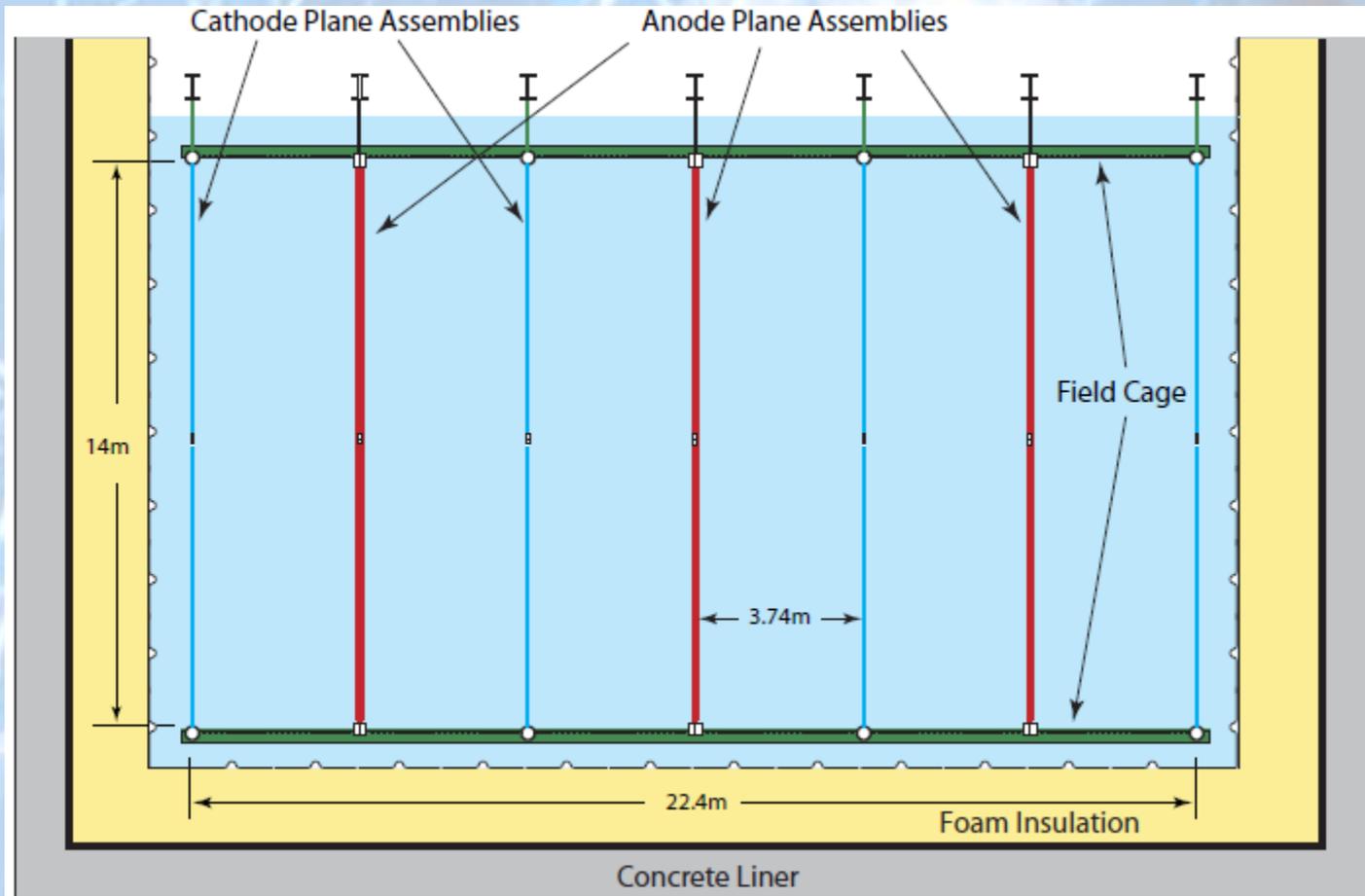
**KEEP
CALM
AND**

**ACT LIKE YOU KNOW
WHAT YOU'RE DOING**

Backup Slides



Cross section of the TPC inside the cryostat



Mass-Induced Neutrino Flavor Oscillations

Neutrino Flavor change can arise out of several different mechanisms. The simplest one is to appreciate that, once neutrinos have mass, leptons can mix. If neutrinos have mass, there are two different ways to define the different neutrino states.

(1) Neutrinos with a well defined mass:

$$\nu_1, \nu_2, \nu_3, \dots \quad \text{with masses } m_1, m_2, m_3, \dots$$

(2) Neutrinos with a well defined flavor:

$$\nu_e, \nu_\mu, \nu_\tau$$

These are related by a unitary transformation:

$$\nu_\alpha = U_{\alpha i} \nu_i \quad \alpha = e, \mu, \tau, \quad i = 1, 2, 3$$

U is a unitary mixing matrix.

The Propagation of Massive Neutrinos

Neutrino mass eigenstates are eigenstates of the free-particle Hamiltonian:

$$|\nu_i\rangle = e^{-i(E_i t - \vec{p}_i \cdot \vec{x})} |\nu_i\rangle, \quad E_i^2 - |\vec{p}_i|^2 = m_i^2$$

The neutrino flavor eigenstates are linear combinations of ν_i 's, say:

$$\begin{aligned} |\nu_e\rangle &= \cos \theta |\nu_1\rangle + \sin \theta |\nu_2\rangle. \\ |\nu_\mu\rangle &= -\sin \theta |\nu_1\rangle + \cos \theta |\nu_2\rangle. \end{aligned}$$

If this is the case, a state produced as a ν_e evolves in vacuum into

$$|\nu(t, \vec{x})\rangle = \cos \theta e^{-ip_1 x} |\nu_1\rangle + \sin \theta e^{-ip_2 x} |\nu_2\rangle.$$

It is trivial to compute $P_{e\mu}(L) \equiv |\langle \nu_\mu | \nu(t, z = L) \rangle|^2$. It is just like a two-level system from basic undergraduate quantum mechanics! In the ultrarelativistic limit (always a good bet), $t \simeq L$, $E_i - p_{z,i} \simeq (m_i^2)/2E_i$, and

$$P_{e\mu}(L) = \sin^2 2\theta \sin^2 \left(\frac{\Delta m^2 L}{4E_\nu} \right)$$